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But $u = x^2 + m^2y^2$, $v = x^2 - n^2y^2$; therefore

$$F = \pm \int_{a'^2}^{a^2} \int_{\beta'^2}^{\beta^2} \frac{xy du dv}{4xy(m^2+n^2)} = \frac{(a^2-a'^2)(\beta^2-\beta'^2)}{4(m^2+n^2)}.$$

SOLUTION BY PROF. ASAPH HALL.

The ratio of the axes of the curves being given, we may write the eq'ns

$$x^2 + m^2y^2 = u; \quad x^2 - n^2y^2 = v.$$

The product of inertia is given by the integral $\int xy dx dy$, and we have to transform this to the variables u and v . The partial derivatives are,

$$\begin{aligned} \frac{dx}{du} &= \frac{n^2}{2x(m^2+n^2)}; & \frac{dx}{dv} &= \frac{m^2}{2x(m^2+n^2)}; \\ \frac{dy}{du} &= \frac{1}{2y(m^2+n^2)}; & \frac{dy}{dv} &= \frac{-1}{2y(m^2+n^2)}. \end{aligned}$$

Forming the known determinant for the transformation we have,

$$\int xy dx dy = \frac{1}{4(m^2+n^2)} \int du dv = \frac{(a^2-a'^2)(\beta^2-\beta'^2)}{4(m^2+n^2)};$$

since the limits of u are a^2 and a'^2 , and of v , β^2 and β'^2 .

REMARKS ON "NEW RULE FOR CUBE ROOT."—We published on page 98, No. 3, what purports to be a new Rule for Cube Root, and were not aware, at the time, that substantially the same rule had been published before; and we have no doubt the author believed it to be new, and original with him.

The same Rule, in effect, may be found at page 32, Vol. I of the *Mathematical Monthly*, published in Nov., 1859, at Cambridge, Mass. The editor (J. D. Runkle) there says, "In the *Nouvelles Mathématiques* for January, 1858, we find the following method for extracting the cube root of numbers, which ought, on account of its easy application, to be generally used. The editor remarks, in the April number, that the method had previously been given in a work entitled *Calcul pratiques*, in which it is claimed as new. The reader will find the same procees, entitled a new method, in the American edition of Young's *Algebra*, published as long ago as 1832. It may also be found in some of our arithmetics; and many teachers undoubtedly already know and use it."

PROBLEMS.

441. By *Wm. Hoover, A. M., Dayton, Ohio.*—A cone revolves around its axis with a known angular velocity. The altitude begins to diminish